B.Sc./6th Sem (H)/PHS/23(CBCS)

2023

6th Semester Examination

PHYSICS (Honours)

Paper : C 14-T

[Statistical Mechanics]

[CBCS]

Full Marks : 40 Time : Two Hours

The figures in the margin indicate full marks.
Candidates are required to give their answers in their own words as far as practicable.

Group - A

Answer any ***five*** questions : 2×5=10

1. Show that electron gas in a white dwarf star is strongly degenerate and relativistic in nature. 2

2. Write statistical definition of temperature in terms of accessible microstates. Assuming the number of accessible microstates $\Omega(E,V)\alpha\left(V^N E^{\frac{3N}{2}}\right)$, find the molar specific heat at constant volume. 2

3. Which among the Bose-Einstein and Fermi-Dirac statistics will be followed by (i) Neutrons, (ii) Alpha particles, (iii) Deuterium nuclei, and (iv) ${}_2He^3$ atoms? 2

P.T.O.

where a and n are constants, g_s is spin degeneracy and V is the volume. Calculate the Fermi energy and total energy of the system at zero Kelvin temperature. 5

13. The specific heat of a metal (in three dimensions) at low temperatures can be represented by $C_V = aT + bT^3$, where a and b are constants. Explain the origin of the first term with necessary deduction. 5

14. Starting from Planck's law deduce (i) Rayleigh-Jeans law and (ii) Wien's law. 2½+2½

Group - C

Answer any ***one*** question : 10×1=10

15. (a) Calculate deviation of an ideal Fermi gas equation from the perfect gas equation for weak degeneracy. How is it related to gas degeneracy? 5+2

(b) An atom has a non-degenerate ground state with energy $\varepsilon_0 = 0$ and a doubly degenerate excited state with energy $\varepsilon_1 = \varepsilon$. Calculate the specific heat at very low temperature $(\beta\varepsilon >> 1)$. 3

16. Write down the single particle partition function for a system having two non-degenerate energy levels with energies : $\varepsilon_1 = -\mu H$ and $\varepsilon_2 = \mu H$. Evaluate entropy for this system. Hence discuss the concept of negative absolute temperature of such a two-level system. 4+4+2

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